TITAN: A code and its applications for time-dependent transport and angular momentum in nanostructures

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Abstract

Spintronics has been a highly studied topic for decades, with already successful applications in technological devices and other promising routes for future implementations. In this work, we explore the magnetization dynamics using a multiorbital tight-binding approach including the spinorbit interaction by calculating the full magnetic susceptibility in a linear response formalism. This quantity is mapped into analytical expressions obtained from a phenomenological model to obtain all the relevant parameters - in particular, the damping constant (also known as Gilbert parameter). We use CLAIX, JURECA and JUQUEEN supercomputers to investigate typical magnetic bulk systems - Fe, Ni and Co - and compare the different methods available in the literature, establishing their range of validity.

Damping parameter

There are many ways to obtain the damping parameter

Ferromagnetic resonance:

(similar to experiments)

Performance

Hybrid parallelization

+ Local generation of workload

MPI scaling plot









It describes the single-particle (spin-flip) and collective (spin wave) excitation modes of the system.

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Gilbert damping α

Different methods give distinct contributions

Convergence

Conclusions

- TITAN is a powerful tool to calculate dynamical quantities, such as the damping parameter
- Systematic assessment of the Gilbert damping is necessary to unravel its nature
- Damping diverges in the clean system limit, if the spin-orbit interaction is present
- Spin-correlation methods yield total damping while torque-correlation (SO) only includes spinorbit contribution

Perspectives

We are interested in the dynamical properties of





The quantum mechanical equation of motion:

 $\frac{\mathrm{d}\mathbf{M}}{\mathrm{d}t} = -\gamma \mathbf{M} \times \mathbf{B}^{\mathrm{eff}} + \frac{\alpha}{M} \mathbf{M} \times \frac{\mathrm{d}\mathbf{M}}{\mathrm{d}t}$

$$\frac{\mathrm{d}\hat{\mathbf{S}}}{\mathrm{d}t} = \frac{1}{\mathrm{i}\hbar} \left[\hat{\mathbf{S}}, \hat{H}_0 + \hat{H}_{\mathrm{SO}} + \hat{H}_{\mathrm{XC}} \right] = \mathbf{X}^{\mathrm{S}} + \mathbf{T}_{\mathrm{SO}} + \mathbf{T}_{\mathrm{XC}}$$
no spin pumping

is calculated in linear response and mapped into a phenomenological description provided by the Landau-Lifshitz-Gilbert equation:



of points in the BZ

 10^{8}

1 billion k-points needed!

Antiferromagnets

Topological spin textures

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